

Session Name: 25 - Review 3 5-5-2022 12-25 PM

Date Created: 5/5/22, 12:04:49 PM Active Participants: 93 of 111

Average Score: 6.14% Questions: 8

Results by Question

1. Please do question 1 which is on the screen in class. (Essay)

Responses
1
1) source to sink (network flow) 2) store paths in cache (a data structure or vector) 3) infinite if any distinct path repeats
$2^V, O(E \log V)$
5
7
7
7
8, I would use network flow, $O(E \log V)$
9 - Network flow, augmenting path with DFS - $O(V \log V)$
Because weights aren't given, assume edges have the same weight/are weightless. The best algorithm to find augmenting paths for an unweighted graph is Edmonds-Karp, which will be $O(VE^2)$. This algorithm uses breadth-first search, running time $O(E)$.
BFS multiple times using Edmond Karp's maximum flow algorithm- Each time it reaches t means there's a new path.
BFS, I'm honestly kind of confused,
DFS
DFS
Dfs
DFS
dfs
DFS
DFS - $O(V)$
DFS $e+v$
DFS in a while loop while storing used paths
Dfs $O(v + e)$
DFS $O(V+E)$

DFS storing previous paths. a loop means it is infinite. $V + E$
DFS $V+E$
DFS while choosing different nodes at each level, running time: $O(E)$
DFS with a stack and just iterate for each time t is reached. If the DFS detects a cycle, return -1. $O(E)$ running time
Dijkstras
Do a DPS without breaking after finding the first path, but rather returning 1. Add all the recursive calls up. If at any time the current node has been visited, return -1
dynamic programming to find all the paths that reach t from s . add up all the possible paths from outgoing edges from S using recursion. create a key of the nodes in a path and cache it to memoize. $O(V)$
E
E
$E \log V$
Edmonds Carp $O(E)$
Edmonds Karp using calls of BFS. $O(VE^2)$
Edmonds-Karp, repeat until no more paths from s to t exist. $O(V + E)$
$E \log V$
$E \log V$
Enumerate DFS. -1 if visit same node in same enumeration. $E \log V$
First run BFS to see if we can find node s from node s . If we can't then run Topological sort. $O(E)$
First, check for cycles using BFS $O(V+E)$ visiting each nodes children. If there is a cycle return infinite paths. If no cycle use the edmonds-karp algorithm $O(E \log(V))$ to find all possible augmenting paths.
Ford-Dickerson and Edmonds-Karp ($O(V + E)$)
ford-fulkerson
Goit to be real here. This is a bad answer. So, what I would do is run through DFS multiple times. For each run, I would factor in previous paths, and store those in a cache to check which way I am going and if the path already exists, we will try a different node to make a different path. The running time should be something like $O(V \log(e))$.
Hey girl you must be a signed integer. If you just add me, I can change that point of view from negative to positive ;)
huh
i would use a topological sort
I would use network flow. $E \log V$. I store all the paths I make and if I repeat one it returns -1

as it will loop infinitely. Otherwise it just returns the total number of paths.
I would use the Edmonds-Karp network flow algorithm to find the path. It has a running time of $O(VE^2)$
I would use the Edmonds-Karp algorithm to find paths until there are no more paths through the graph which has a running time of $O(C + R)$
If there is a path going back to S, it has infinite paths. You can use depth first search calling it on s first and then calling it on each of its adjacent nodes.
If there are infinite paths then there is a node pointing back to s. Otherwise, use Edmonds-karp to find number of possible paths. $O(VE^2)$
If there was no possibility of having an infinite number of unique paths I would implement the Edmonds Karp algorithm ($O(E)$) to count the paths, otherwise there's no way to determine if there are an infinite number of paths as the program would not end
Infinite paths — return -1
It must be directed acyclic. May use DFS to find every path, store them as they're found. If more than n^2 paths are found, return -1.
I'm not sure
Modified Depth first search
Modified Dijkstra
Network flow
Network flow - $E \log V$
Network flow - find all augmenting paths with Edmonds Karp
Network Flow and Depth First Search: $E \log V$
Network Flow $E \log V$
Network flow $O(E)$, find paths like worddice lab
Network flow using DFS for cycle detection, running time is $O(V * E \log(V))$
Network Flow with BFS.
Network flow, DFS, $O(V+E)$
Network Flow, $O(E)$
Network flow, $r \log c$
Network flow, while BFS finds a path, set the capacity of that path to 0 and flow to 1.
Network flow: once a path is found from s to t, flip original and residual, then continue until there is no path. Edmonds-Karp is VE^2
$O(C)$
$O(E)$
$O(V+E)$

Probably use topological sort to see if there is a cycle, if one then return -1, then use dfs to find all the paths from a to t. $O(v + e)$ and $O(e)$
Run Bfs and network flow. V^2E
Topological sort. If there's a cycle, it's infinity, otherwise you group all the nodes into groups of the same topological distance. Your answer is the product of all group sizes. $O(V+E)$
Use a bfs or dfs $O(v+e)$
Use BFS with recursion. Return if t is visited, and there are infinite paths if a node visits s. $E \log V$
use depth first search until it can't find a part anymore
Use depth first search, pushing path onto map each time. If cycle is encountered, return -1.
Use dfs and after each path if it gets you to t, add path to a vector. Final result is vector of paths to t
Use DFS to find each path and determine a cycle (for infinite paths). $P(v + e)$
Use Network Flow, which traverses every edge. If a node is visited twice, return -1
using DFS, after each path found, if it finds t, add backedges to path, if not, return -1
$V * E$
VE^2
We first use DFS on the source to determine if there are any cycles in the graph. DFS runs in $ V + E $. If there is a cycle, there are an infinite number of paths, so we return -1. If there are no cycles, we use Edmonds Karp to enumerate all the paths, ignoring any max flow calculations

SFGCDT	3.37%	3
SABFGCDEIT	2.25%	2
23	1.12%	1
A	1.12%	1
ABGCDEI	1.12%	1
ABGCDEIT	1.12%	1
ABGCDET	1.12%	1
FRED.	1.12%	1
I NEED TO STUDY NETWORK FLOW	1.12%	1
NETWORK FLOW O(V+E)	1.12%	1
ON	1.12%	1
S A	1.12%	1
S A B F G C D E H I T	1.12%	1
S A C D T	1.12%	1
S F G S	1.12%	1
SABCDBIT	1.12%	1
SABGCDEIT	1.12%	1
SABCDHIT	1.12%	1
SABDFG	1.12%	1
SABFGCDBHIT	1.12%	1
SABFGCDET	1.12%	1
SABFGCFEHIT	1.12%	1
SABGCBEIT	1.12%	1
SABGCDEHT	1.12%	1
SABGFG	1.12%	1
SACDEIT	1.12%	1
SACDIT	1.12%	1
SAFBGCDHIT	1.12%	1
SAFBGCDHIET	1.12%	1
SAGCDEHIT	1.12%	1

	Percent	Count
SFGCDT	18.6%	16
SABCDET	10.47%	9
SFGCDHIT	9.3%	8
SABGCDEIT	8.14%	7
SACDT	6.98%	6
FGCDHIT	2.33%	2
SABCDEIT	2.33%	2
SABFGCDEHIT	2.33%	2
SABGCDEHIT	2.33%	2
SABGCDT	2.33%	2
SAGCDEHIT	2.33%	2
SFGCDET	2.33%	2
23	1.16%	1
A	1.16%	1
ABCD	1.16%	1
ABCGFS	1.16%	1
ABFGCDET	1.16%	1
FRED?	1.16%	1
I NEED TO STUDY NETWORK FLOW	1.16%	1
NO IDEA	1.16%	1
S A B G C D E T	1.16%	1
S A C D T	1.16%	1
S F	1.16%	1
SABDFG	1.16%	1
SABFGCDEIT	1.16%	1
SABGFG	1.16%	1
SACDIT	1.16%	1
SAF	1.16%	1
SAFBGCDHEIT	1.16%	1
SAFGCDEHIT	1.16%	1

4. Please do question 4 which is on the screen in class. (Short Answer)

	Responses	
	Percent	Count
SACDT (c)	22.73%	20
SABCDET	9.09%	8
SFGCDT	7.95%	7
SFGCDHIT	5.68%	5
SABGCDEIT	4.55%	4
SA	3.41%	3
SAGCDEHIT	3.41%	3
SAGCDEIT	2.27%	2
23	1.14%	1
ABCGFS	1.14%	1
ACD	1.14%	1
ACDET	1.14%	1
F	1.14%	1
FGCDET	1.14%	1
FORGOT WHAT THIS DOES	1.14%	1
FRED!	1.14%	1
HELPIDUNNO	1.14%	1
I NEED TO STUDY NETWORK FLOW	1.14%	1
NO IDEA	1.14%	1
S A B C D E T	1.14%	1
S A C D T	1.14%	1
S F	1.14%	1
SABGCDEIT	1.14%	1
SABCDET. I'M RICK HARRISON, AND THIS IS MY PAWN SHOP. I WORK HERE WITH MY OLD MAN AND MY	1.14%	1

SON, BIG HOSS. EVERYTHING IN HERE HAS A STORY AND A PRICE. ONE THING I'VE LEARNED AFTER 21 YEARS - YOU NEVER KNOW WHAT IS GONNA COME THROUGH THAT DOOR.		
SABCDHIET	1.14%	1
SABCDT	1.14%	1
SABCGCDEIT	1.14%	1
SABDFG	1.14%	1
SABGCDET	1.14%	1
SABGCDT	1.14%	1
SABGFG	1.14%	1
SACDIT	1.14%	1
SAFBGCDEHIT	1.14%	1
SAFBGCDHEIT	1.14%	1
SAFCDT	1.14%	1
SAGCDET	1.14%	1
SAGCDHIT	1.14%	1
SAGCDT	1.14%	1
SFACDHET	1.14%	1
SFGC	1.14%	1
SFGCDDT	1.14%	1
SFGCDET	1.14%	1
STGCDHEIT	1.14%	1
YABR	1.14%	1
Totals	100%	88

Keyword(s): SACDT

Keyword Matches: 20

ASIDE	1.16%	1
BB	1.16%	1
C	1.16%	1
CORRECT - DEFINITION OF MINIMUM CUT	1.16%	1
CORRECT, NUMBER	1.16%	1
CORRECT, THAT'S THE SUM OF REMOVING AC,BC,GC	1.16%	1
FALSE. SKIPPY, THERE'S ENOUGH NINETIES IN THE PATH TO MAKE SURE IT ISN'T 51.	1.16%	1
I TRUST SKIPPY	1.16%	1
INCORRECT (NOT CORRECT COST OF THE MINIMUM CUT)	1.16%	1
INCORRECT BECAUSE IT'S A BUMBER	1.16%	1
INCORRECT NO EDGE	1.16%	1
INCORRECT WRONG RESPONSE	1.16%	1
INCORRECT, MAX FLOW	1.16%	1
INCORRECT, MINIMUM CUT IS A SET OF EDGES	1.16%	1
INCORRECT, NOT A NUMBER	1.16%	1
INCORRECT, NOT A SERIES OF EDGES	1.16%	1
INCORRECT, NOT SUBSET OF EDGES.	1.16%	1
INCORRECT, THIS ISNT A CUT	1.16%	1

INCORRECT, THOSE ARE NOT NODES WHICH WE CAN REMOVE	1.16%	1
INCORRECT: A MINIMUM CUT WOULD INDICATE THE VERTICES AND A FLOW	1.16%	1
INCORRECT; NOT AN EDGE/COLLECTION OF EDGES	1.16%	1
MAYBE TECHNICALLY CORRECT BUT I PROBABLY WANTED A SET OF EDGES SKIPPY WHY ARE YOU GIVING ME A NUMERICAL ANSWER	1.16%	1
NO BECAUSE IT'S NOT THE MIN WEIGHT	1.16%	1
NO NOT A CUT	1.16%	1
NO THAT ISN'T AN EDGE LIST	1.16%	1
NO THERE IS A 99	1.16%	1
NO, COST	1.16%	1
NO, ITS A NUMBER	1.16%	1
NO, NOT AN EDGE TO REMOVE.	1.16%	1
NO, THAT'S JUST THE MAX NUMBER	1.16%	1
NOT	1.16%	1
NOT A COLLECTION OF EDGES	1.16%	1
NOT A SET OF EDGES	1.16%	1
NOT CORRECT	1.16%	1

FORMAT LOOKING FOR EDGES		
RUNNING OUT OF TIME	1.16%	1
SACDT	1.16%	1
THIS IS THE MAX FLOW NOT MINUM CUT	1.16%	1
TRUE	1.16%	1
WON'T EQUAL MAXIMUM FLOW	1.16%	1
WRONG	1.16%	1
Y	1.16%	1
Totals	100%	86

Keyword(s): No - Number not cut.

Keyword Matches: 0

INCORRECT, MINIMUM CUT IS A SET OF EDGES
 INCORRECT, THOSE ARE NOT NODES WHICH WE CAN REMOVE
 NOT CORRECT FORMAT LOOKING FOR EDGES
 FALSE. SKIPPY, THERE'S ENOUGH NINETIES IN THE PATH TO MAKE SURE IT ISN'T 51.
 INCORRECT NO EDGE INCORRECT BECAUSE IT'S A BUMBER
 WON'T EQUAL MAXIMUM FLOW CORRECT, THAT'S THE SUM OF REMOVING AC,BC,GC
 MAYBE TECHNICALLY CORRECT BUT I PROBABLY WANTED A SET OF EDGES SKIPPY WHY ARE YOU GIVING ME A NUMERICAL ANSWER
 NO NOT A CUT

INCORRECT, NOT SUBSET OF EDGES.
 WRONG TRUE

INCORRECT

INCORRECT, MAX FLOW
 INCORRECT, THIS ISN'T A CUT

CORRECT

NO, ITS A NUMBER

NOT A SET OF EDGES BB
 SACDT
 FALSE
 NO, NOT AN EDGE TO REMOVE.
 RUNNING OUT OF TIME ASIDE NOT
 INCORRECT WRONG RESPONSE
 NO, THAT'S JUST THE MAX NUMBER CORRECT, NUMBER
 NO THERE IS A 99 INCORRECT, NOT A SERIES OF EDGES
 NO BECAUSE IT'S NOT THE MIN WEIGHT
 NO THAT ISN'T AN EDGE LIST INCORRECT, NOT A NUMBER NOT A COLLECTION OF EDGES
 CORRECT - DEFINITION OF MINIMUM CUT
 INCORRECT; NOT AN EDGE/COLLECTION OF EDGES
 INCORRECT (NOT CORRECT COST OF THE MINIMUM CUT)
 THIS IS THE MAX FLOW NOT MINUM CUT
 INCORRECT: A MINIMUM CUT WOULD INDICATE THE VERTICES AND A FLOW

6. Please do question 6 which is on the screen in class. (Short Answer)

	Responses	
	Percent	Count
CORRECT	19.28%	16
YES	16.87%	14
INCORRECT	6.02%	5
NO	6.02%	5
TRUE	3.61%	3
NOT MINIMUM	2.41%	2
F	1.2%	1
FALSE	1.2%	1
FALSE NOT AN EDGE	1.2%	1
FALSE, YOU CANT TAKE OUT VERTICES	1.2%	1
FALSE. SKIPPY 99 IS LARGER THAN JUST CUTTING C OFF WITH A, B, AND G	1.2%	1
IC	1.2%	1
INCORRECT (NOT THE LOWEST COST)	1.2%	1
INCORRECT NOT MINIMUM	1.2%	1
INCORRECT ONLY ONE EDGE	1.2%	1
INCORRECT TOO HIGH	1.2%	1
INCORRECT, A CUT BUT NOT MINIMUM	1.2%	1
INCORRECT, DOESN'T	1.2%	1

MINIMIZE COST		
INCORRECT, IT IS CHEEPER TO CUT GOING INTO C	1.2%	1
INCORRECT, NOT A MINIMAL CUT	1.2%	1
INCORRECT, NOT MINIMAL	1.2%	1
INCORRECT, NOT THE MINIMUM AS THIS IS 99	1.2%	1
INCORRECT, NOT THE SMALLEST NUMBERS SUMMED UP	1.2%	1
INCORRECT, ONLY ONE CUT	1.2%	1
INCORRECT, THATS THE HEAVIEST EDGE	1.2%	1
INCORRECT, THE COST OF THAT PATH WOULD BE 99	1.2%	1
INCORRECT, THERE IS A CUT WITH A SMALLER FLOW	1.2%	1
INCORRECT: IF THE MAXIMUM FLOW IS 51 THEN THE MINIMUM COST CANNOT BE GREATER THAN THAT	1.2%	1
IT WOULD CUT GRAPH BUT NOT MINIMUM VALUE	1.2%	1
N	1.2%	1
NO BECAUSE IT IS NOT THE MINIMUM	1.2%	1
NO NOT MINIMUM	1.2%	1

NO, BECAUSE IT'S HIGHER COST	1.2%	1
NO, THAT'S THE LARGEST WEIGHT	1.2%	1
NO, THE FLOW INTO C IS NOT == TO 99	1.2%	1
NO, TOO MUCH FLOW.	1.2%	1
NOT BECAUSE THERE ARE SMALLER THRESHOLDS BEFORE	1.2%	1
NOT CORRECT, CD HAS WEIGHT OF 99 > 51	1.2%	1
OUT OF TIE	1.2%	1
T	1.2%	1
THIS IS CORRECT, THE IS THE SMALLEST NUMBER OF EDGES TO SPLIT THE GRAPH	1.2%	1
YEA	1.2%	1
YES WOULD CREATE 2 DISJOINT SETS	1.2%	1
YES, THAT BLOCKS ALL PATHS	1.2%	1
Totals	100%	83

Keyword(s): No - Cut but not minimum

Keyword Matches: 0

INCORRECT: IF THE MAXIMUM FLOW IS 51 THEN THE MINIMUM COST CANNOT BE GREATER THAN THAT
 FALSE. SKIPPY 99 IS LARGER THAN JUST CUTTING C OFF WITH A, B, AND G

INCORRECT, THE COST OF THAT PATH WOULD BE 99

FALSE, YOU CANT TAKE OUT VERTICES

INCORRECT NOT MINIMUM

THIS IS CORRECT, THE IS THE SMALLEST NUMBER OF EDGES TO SPLIT THE GRAPH

NO, THE FLOW INTO C IS NOT == TO 99 NO, TOO MUCH FLOW.

YES WOULD CREATE 2 DISJOINT SETS

TRUE NOT MINIMUM

INCORRECT, ONLY ONE CUT

INCORRECT, A CUT BUT NOT MINIMUM

YEA

INCORRECT ONLY ONE EDGE

INCORRECT TOO HIGH

NO, BECAUSE IT'S HIGHER COST

INCORRECT

OUT OF TIE

INCORRECT, NOT A MINIMAL CUT

NO, THAT'S THE LARGEST WEIGHT

CORRECT

NO NOT MINIMUM

NO T

YES

IC FALSE NOT AN EDGE

YES, THAT BLOCKS ALL PATHS

F FALSE

INCORRECT, NOT MINIMAL

NO BECAUSE IT IS NOT THE MINIMUM

INCORRECT, IT IS CHEEPEER TO CUT GOING INTO C

NOT CORRECT, CD HAS WEIGHT OF 99 > 51

INCORRECT, NOT THE SMALLEST NUMBERS SUMMED UP

INCORRECT (NOT THE LOWEST COST)

INCORRECT, THATS THE HEAVIEST EDGE

INCORRECT, THERE IS A CUT WITH A SMALLER FLOW

NOT BECAUSE THERE ARE SMALLER THRESHOLDS BEFORE

INCORRECT, DOESN'T MINIMIZE COST

IT WOULD CUT GRAPH BUT NOT MINIMUM VALUE

INCORRECT, NOT THE MINIMUM AS THIS IS 99

7. Please do question 7 which is on the screen in class. (Short Answer)

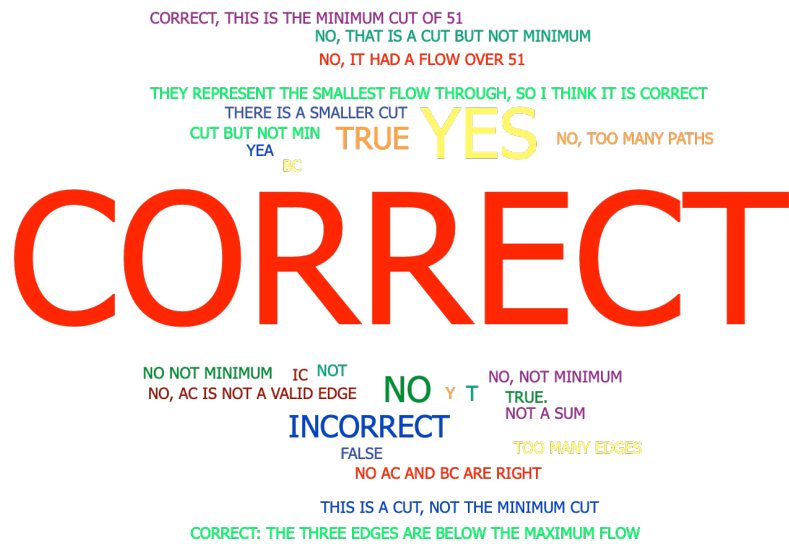
	Responses	
	Percent	Count
CORRECT	41.67%	35
YES (c)	14.29%	12
NO	5.95%	5
INCORRECT	4.76%	4
TRUE	4.76%	4
T	2.38%	2

BC	1.19%	1
CORRECT, THIS IS THE MINIMUM CUT OF 51	1.19%	1
CORRECT: THE THREE EDGES ARE BELOW THE MAXIMUM FLOW	1.19%	1
CUT BUT NOT MIN	1.19%	1
FALSE	1.19%	1
IC	1.19%	1
NO AC AND BC ARE RIGHT	1.19%	1
NO NOT MINIMUM	1.19%	1
NO, AC IS NOT A VALID EDGE	1.19%	1
NO, IT HAD A FLOW OVER 51	1.19%	1
NO, NOT MINIMUM	1.19%	1
NO, THAT IS A CUT BUT NOT MINIMUM	1.19%	1
NO, TOO MANY PATHS	1.19%	1
NOT	1.19%	1
NOT A SUM	1.19%	1
THERE IS A SMALLER CUT	1.19%	1
THEY REPRESENT THE SMALLEST FLOW THROUGH, SO I THINK IT IS CORRECT	1.19%	1
THIS IS A CUT, NOT THE MINIMUM CUT	1.19%	1
TOO MANY EDGES	1.19%	1

TRUE.	1.19%	1
Y	1.19%	1
YEA	1.19%	1
Totals	100%	84

Keyword(s): Yes

Keyword Matches: 12



8. Please do question 8 which is on the screen in class. (Short Answer)

Responses		
	Percent	Count
NO	10.84%	9
YES	8.43%	7
INCORRECT	7.23%	6

CORRECT	6.02%	5
FALSE	3.61%	3
F	2.41%	2
NOT A CUT	2.41%	2
CORRECT: THE TWO PATHS ARE BELOW MAXIMUM FLOW	1.2%	1
DOESN'T CUT GRAPH(DT)	1.2%	1
DT STILL FLOWS	1.2%	1
DT STILL THERE	1.2%	1
EL	1.2%	1
FALSE, DOESN'T DISCONNECT	1.2%	1
FALSE. SKIPPY, THAT'S WORSE THAN JUST CUTTING CD. THAT'S 104 > 99 > 51	1.2%	1
IC	1.2%	1
INCORECT STILL GET TO T	1.2%	1
INCORRECT (CAN STILL GET FROM S TO T)	1.2%	1
INCORRECT - NOT MINIMUM	1.2%	1
INCORRECT DOES NOT DIVIDE THE GRAPH INTO TWO SETS	1.2%	1
INCORRECT DOESN'T DISCONNECT GRAPH	1.2%	1
INCORRECT STILL CONNECTED	1.2%	1
INCORRECT, D STILL GOES TO T	1.2%	1

INCORRECT, DOESNT COMPLETELY DISABLE GRAPH	1.2%	1
INCORRECT, DT	1.2%	1
INCORRECT, IT'S NOT A CUT	1.2%	1
INCORRECT, NOT A CUT	1.2%	1
INCORRECT, NOT A CUT.	1.2%	1
INCORRECT, PATH STILL EXISTS VIA DT AND IT	1.2%	1
INCORRECT, THERE IS STILL A PATH FROM S TO T	1.2%	1
INCORRECT, THERE IS STILL A ROUTE FROM S TO T	1.2%	1
INCORRECT, YOU CAN STILL REACH T FROM D	1.2%	1
INCORRECT. NOT SURE, HAVEN'T STUDIED MINIMUM CUT YET	1.2%	1
INCORRECT; T IS STILL CONNECTED TO D	1.2%	1
N	1.2%	1
NO 99 IS LESS	1.2%	1
NO BECAUSE DT ALSO EXISTS AND THERE ARE SMALLER EDGES BEFOREHAND	1.2%	1
NO BECAUSE IT DOES NOT CUT THE GRAPH IN TWO	1.2%	1

NO BECAUSE YOU ARE MISSING DT	1.2%	1
NO NOT A CUT	1.2%	1
NO NOT MIN CUT	1.2%	1
NO NOT MINIMUM	1.2%	1
NO THAT ISN'T A CUT	1.2%	1
NO, BECAUSE IT IS STILL CONNECTED	1.2%	1
NO, CAN'T BOTH BE MIN CUT	1.2%	1
NO, GRAPH STILL CONNECTED	1.2%	1
NO, NOT MINIMUM	1.2%	1
NO, STILL PATHS FOR POTENTIAL FLOW	1.2%	1
NOT	1.2%	1
NOT CORRECT, DOES NOT SEPARATE IN TWO COMPONENTS	1.2%	1
OR	1.2%	1
THERE ARE EDGES CONNECTED TO T STILL	1.2%	1
THERE IS A SMALLER CUT	1.2%	1
THERE IS STILL A PATH TO THE SINK	1.2%	1
THIS DOES NOTHING, S AND T ARE STILL CONNECTED	1.2%	1
TRUE	1.2%	1
WRONG. DT	1.2%	1

Keyword(s):

No - Sum is 51, but not a cut

Totals

100%

83

Keyword Matches: 0

CORRECT
INCORRECT

NOT A CUT ^F **NO** FALSE

YES

NO 99 IS LESS

FALSE, DOESN'T DISCONN

NO, STILL PATHS FOR POTENTIAL FLOW

CORRECT: THE TWO PATHS ARE BELOW MAXIMUM FLOW

NO BECAUSE IT DOES NOT CUT THE GRAPH IN TWO