

Question 1

The answer is **D**. Straight from the definition of big O.

Question 2

- $h[1] = 13$
- $h[2] = 4$
- $h[5] = 15$
- $h[6] = 23$
- $h[11] = 22$
- $h[12] = 19$
- $h[24] = 71$
- $h[25] = 81$

Jacob:

1. 16
2. 12
3. 18
4. 25
5. 41
6. 30
7. 99
8. 54

Questions 3-14

These came from a bank and were randomly ordered. Here they are:

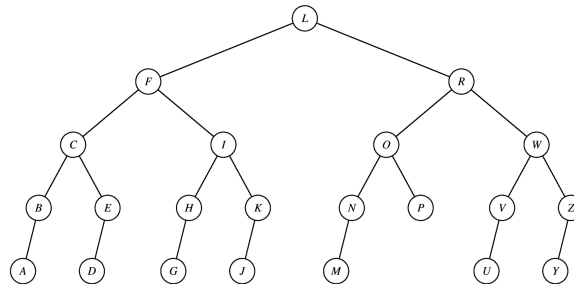
- $O(1)$. Sets don't insert duplicates, so the set size is always 1.
- $O(n^2)$
- $O(\log n)$
- $O(n)$ -- that's how long it takes to traverse the multiset. I also gave credit to $O(m \log n)$, which you can achieve using *upper_bound*. We'll learn more about that next semester.
- $O(n)$ - Tree traversal.
- $O(\log n)$
- $O(n)$ - *That's what's special about a heap.*
- $O(\log n)$
- $O(\log n)$
- $O(n \log n)$
- $O(n)$. *It's $O(1)$ to get to the 3rd element, and $O(1)$ for each insertion.*
- $O(n)$. *push_front() on a deque is $O(1)$.*
-

Question 15

In the following blank, please enter a preorder printing of the nodes. You can just enter all of the letters, in order, without spaces: **TBHDENLSUW**

And in the following blank, please enter a postorder printing of the nodes: **EDLSNHBWUT**

Question 16



Questions 17 through 20

Answers: J, 2.

Answers: P, 1.

Answers: Y, 1.

Answers: U, 2.

Question 21

The destructor needs to typecast **s** to an instance of **MyZippy ***. Then it should delete any integers allocated in the vector. Finally, it should delete the instance of **MyZippy ***. You don't need to clear the vector, because that is done automatically in the last delete call:

```
Zippy::~Zippy()
{
    size_t i;
    MyZippy *z;

    z = (MyZippy *) s;
    for (i = 0; i < z->v.size(); i++) delete z->v[i];
    delete z;
}
```

Question 22

```
Dnode *Dlist::Begin()
{
    return sentinel->flink;
}

Dnode *Dlist::End()
{
    return sentinel;
}

void Dlist::Insert_Before(const string &s, Dnode *n)
{
    Dnode *newnode, *prev;

    newnode = new Dnode;
    prev = n->blink;

    newnode->s = s;
    newnode->flink = n;
    newnode->blink = prev; // this could be newnode->blink = n->blink;
    n->blink = newnode;
    prev->flink = newnode; // this could be newnode->blink->flink = newnode;
    size++;
}
```

Question 23

```
double rank(const Treenode *n)
{
    double total, average;
    size_t i;

    /* Base case is when a node has no children. */
    if (n->children.size() == 0) return weight;

    /* Otherwise, compute the average rank of the children. */
    total = 0;
    for (i = 0; i < n->children.size(); i++) {
        total += rank(n->children[i]);
    }
    average = total / (double) n->children.size();

    /* Return the maximum */
    return (weight > average) ? weight : average;
}
```

Question 24

```
11 12 10
68 88 19 97 84 91 50
```